

p. 399 evens

$$\#12 \quad 4\sqrt[3]{3}$$

#14 cannot
combine

#2 cannot combine

$$\#4 \quad 7\sqrt{3}$$

$$\#6 \quad 75 + 34\sqrt{5}$$

$$\#8 \quad -166$$

$$\#6 \quad (5+2\sqrt{5})(7+4\sqrt{5})$$

$$35 + 20\sqrt{5} + 14\sqrt{5} + 8 \cdot 5$$

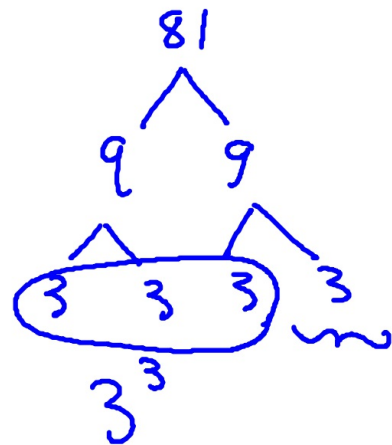
$$75 + 34\sqrt{5}$$

$$\begin{aligned} \#21 & (2 + \sqrt{7})(1 + 3\sqrt{7}) \\ & 2 + 6\sqrt{7} + \sqrt{7} + 3 \cdot 7 \\ & 23 + 7\sqrt{7} \end{aligned}$$

#26-29 all radicals should go away.

Example of $\sqrt[3]{\quad}$

$$\begin{aligned} & \sqrt[3]{81} \\ & = \sqrt[3]{3^3} \cdot \sqrt[3]{3} \\ & \quad \quad \quad \sqrt[3]{3} \end{aligned}$$



Example

$$14 \sqrt[3]{x^6}$$

$$14 \cdot x^2$$

Topic: rationalizing a binomial radical
in denominator

technique: multiply the expression
by the conjugate of the
denominator over itself.

Ex: #32 p 400

$$\frac{3+\sqrt{8}}{2-2\sqrt{8}} \cdot \frac{2+2\sqrt{8}}{2+2\sqrt{8}}$$

$$\frac{6+6\sqrt{8}+2\sqrt{8}+16}{4+4\sqrt{8}-4\sqrt{8}-32} = \frac{22+16\sqrt{2}}{-28}$$

$$\frac{\cancel{2}(11+8\sqrt{2})}{\cancel{2}(-14)}$$
$$= \frac{11+8\sqrt{2}}{14}$$