

Test topics - ^{calc Mon} ^{non-calc Tue}
 Extreme values: EVT, 1st deriv.
 test for min/max, increasing &
 decreasing intervals, global
 vs local maxima, 2nd
 deriv test for extremum.

Mean Value Theorem (MVT)

- conditions
- conclusion
- be able to find promised spot on fn.

From graph of f : where is
 $f' > 0$, < 0 , $= 0$

From graph of f' : where is
 f increasing, decreasing,
 max, min, inflection pt

Linearization & differentials -
 estimation of dy , error
 of linearization.

Related rates.

#27 p. 256

linearization $L(x)$ for $\tan x$ "centered on" $x = -\frac{\pi}{4}$

$$L(x) = \tan\left(-\frac{\pi}{4}\right) + \sec^2\left(-\frac{\pi}{4}\right)\left(x + \frac{\pi}{4}\right)$$

$$L(x) = -1 + 2\left(x + \frac{\pi}{4}\right)$$

$$L(x) = -1 + 2x + \frac{\pi}{2}$$

What is the error of this linearization at $x = -0.9$?

$$\left|L\left(-\frac{\pi}{4}\right) - \tan\left(-\frac{\pi}{4}\right)\right|$$

answers to 3 decimal places

#39 $f'(x) = \sin(x^2)$

$$f(0) = -1$$

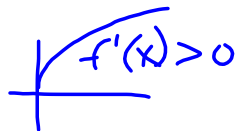
(a) $L(x) = -1 + 0(x-0)$

$$L(x) = -1$$

(b) $dy \approx f'(0) \cdot dx$

$$dy \approx 0 \cdot 0.1$$

$$\approx 0$$



estimate of $f(0.1)$

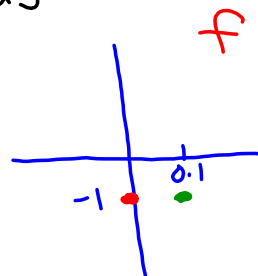
$$= f(0) + dy$$

$$= -1 + dy$$

$$= -1$$

(c) if f is increasing,
our estimate will be

low, & vice versa.



$$\#59 \quad \frac{dx}{dt} = -1 \text{ m/sec}$$

$$\frac{dy}{dt} = -5 \text{ m/sec}$$

$$D^2 = x^2 + y^2$$

find $\left| \frac{dD}{dt} \right|$

$$2D \frac{dD}{dt} = 2x \frac{dx}{dt} + 2y \frac{dy}{dt}$$

$$2(13) \frac{dD}{dt} = 2(5)(-1) + 2(12)(-5)$$

$$\cancel{26} \frac{dD}{dt} = \frac{-130}{26} = -5 \quad \left| \frac{dD}{dt} \right| = 5 \text{ m/sec}$$

